

## Prototype for an Undulator-based Source for Polarised Positrons for a Linear Collider: Project E-166 (LC-DET-2003-044)

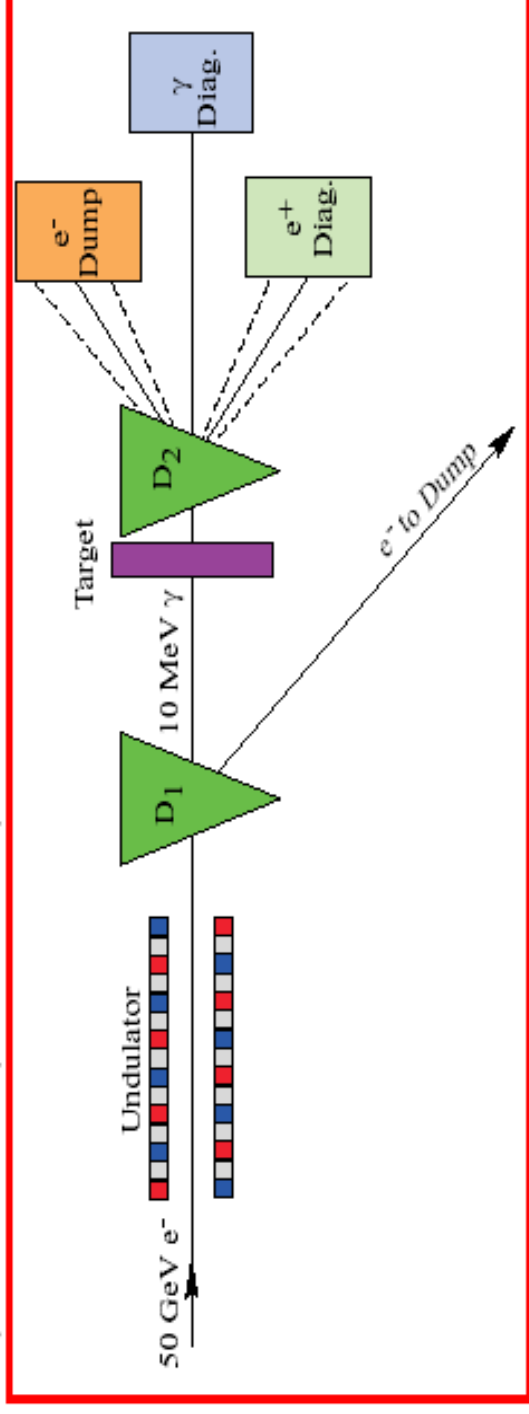
*Gudrid Moortgat-Pick*  
*IPPP, Durham*

HEP 2003, EPS  
Aachen, July 17, 2003

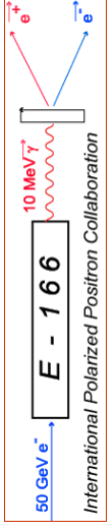
1. The experiment E-166
2. Physics case for polarised positrons at a LC
3. Motivation and Layout of E-166
4. Polarimetry at E-166
5. Next steps: E-166 and the way ahead towards pol. beams at a LC

## E-166 Experiment

E-166 is a **demonstration** of undulator-based polarised positron production for linear colliders



- E-166 uses the 50 GeV, low emittance FFTB@SLAC in conjunction with a 1 m-long, 2.4 mm period helical undulator ( $K = 0.17$ ) to make polarised photons with 0-10 MeV
- These photons are converted in a  $\sim 0.5$  rad. length thick target into polarised positrons
- The polarisation of the positrons and photons will be measured
- Performance expectations are for positron polarisation of about 60%



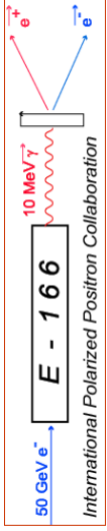
# Undulator-Based Production of Polarised positrons

## E-166 Collaboration

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⇒ 46 Collaborators from 15 Institutions:

Brunel, CERN, Cornell, DESY, Durham, Thomas Jefferson Lab, Humboldt, KEK, Princeton, South Carolina, SLAC, Tel Aviv, Tokyo Metropolitan, Tennessee, Waseda



# 1. Why do we need Polarised Positrons at a LC?

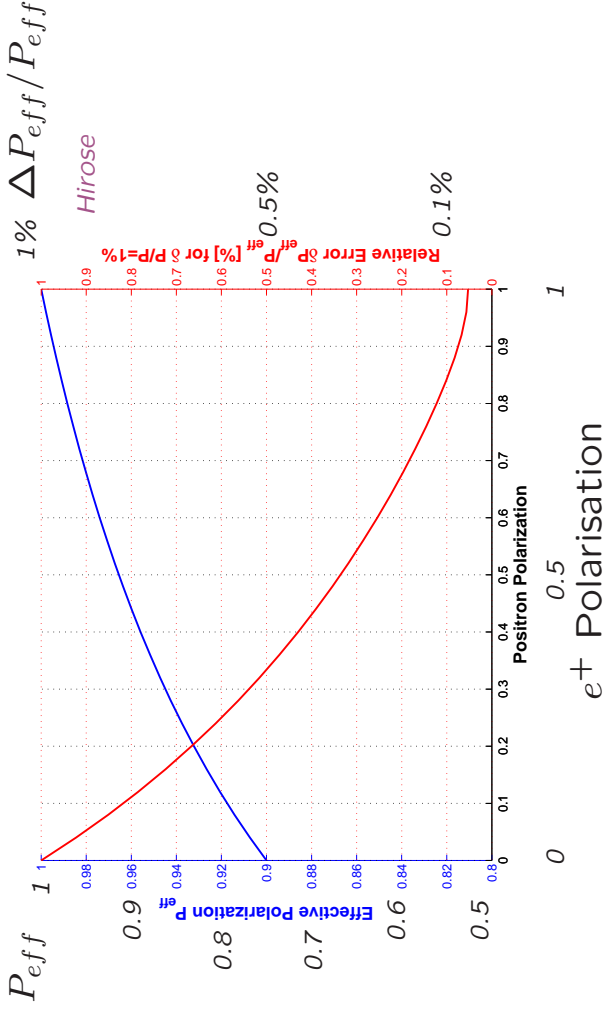
- higher eff. polarisation

$$P_{eff} = (P(e^-) - P(e^+)) / (1 - P(e^-)P(e^+))$$

(~ 95% with [80%, 60%])

and background suppression

$P(e^-)$	$P(e^+)$	$e^+e^- \rightarrow W^+W^-$
0	0	1.0
-0.8	0	0.2
-0.8	+0.6	0.1

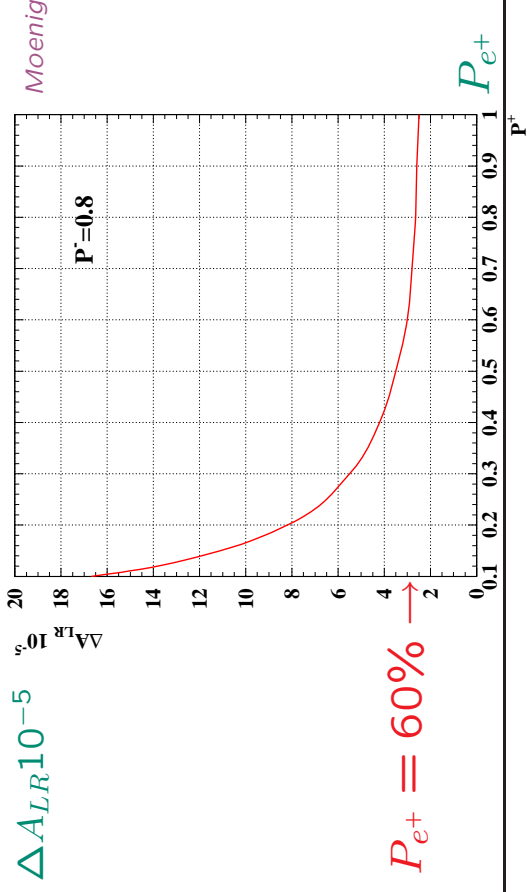


- improved accuracy in measuring polarisation (→ 'Blondel Scheme')

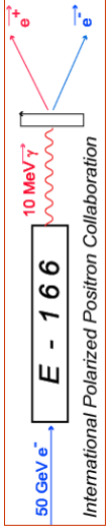
⇒ needed for high precision

measurement of  $\sin^2 \theta_{eff}^l$

in  $A_{LR}(e^+e^- \rightarrow Z \rightarrow f\bar{f})$



$P_{e^+} = 60\%$



## Physics Case for Polarised Positrons at a LC

- precise analysis of **non-standard couplings**

E.g. proof of Susy assumptions

$$\Rightarrow \tilde{e}_{L,R}^- \leftrightarrow \tilde{e}_{L,R}^+ \quad \text{and} \quad e_{L,R}^+ \leftrightarrow \tilde{e}_{R,L}^+$$

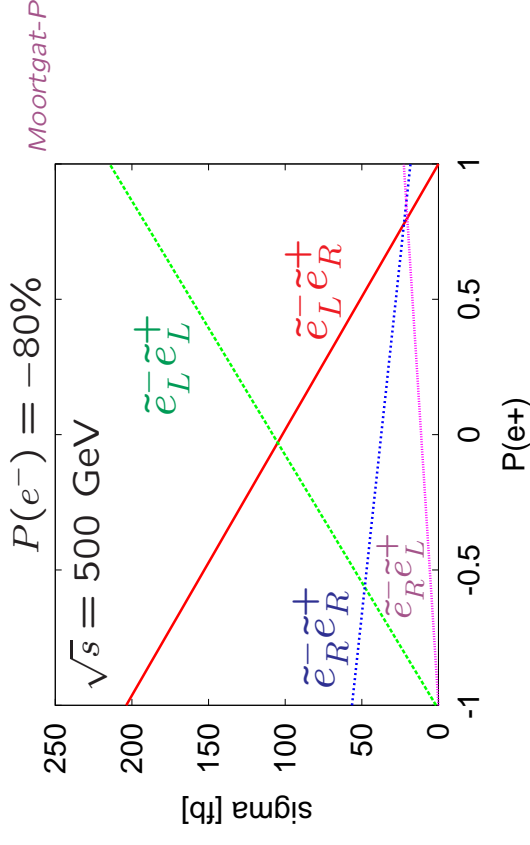
**Scalar** partners  $\leftrightarrow$  chiral quantum numbers!

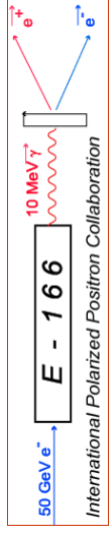
Example:

$P(e^-) = -80\%$  but  $P(e^+) = 0$ : **no** separation!

$P(e^-) = -80\%$  and  $P(e^+) = -40\%$ : ratio 163 fb/66 fb!

$\Rightarrow$  Separation of  $\tilde{e}_L^- \tilde{e}_L^+$  and  $\tilde{e}_L^- \tilde{e}_R^+$  not possible with only  $P(e^-)$ !





## Physics Case for Polarised Positrons at a LC

- option of using **transversely polarised** beams!

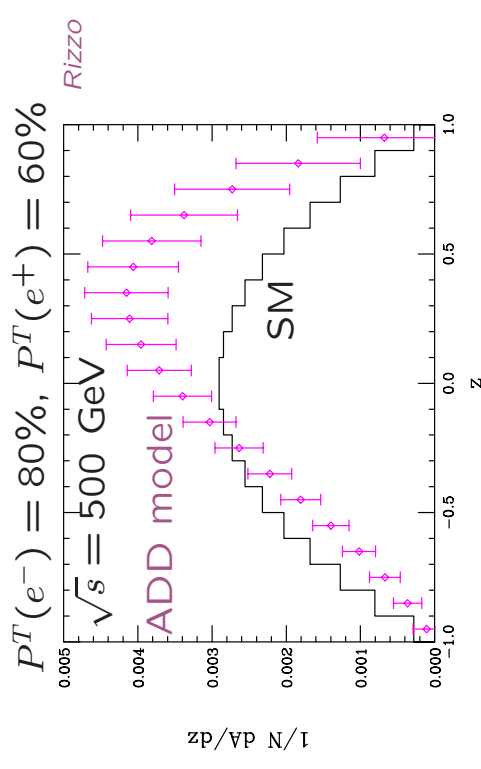
Rates are given by:

$$\sigma = (1 - P_{e^+} P_{e^-}) \sigma_{unp} + (P_{e^-}^L - P_{e^+}^L) \sigma_{pol}^L + P_{e^-}^T P_{e^+}^T \sigma_{pol}^T$$

⇒ **only possible** with both beam polarised!

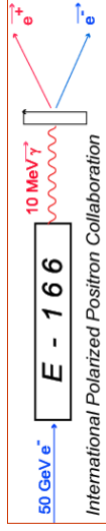
Example:

Clear separation of different models of new physics, of e.g. extra dimensions



(→ see also e.g. TESLA TDR, JLC Roadmap, Snowmass '01 Resource Book, Moortgat-Pick '03, etc.)

⇒ Polarised  $e^+$  in addition to polarised  $e^-$  needed at a LC

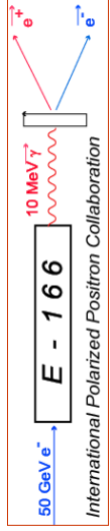


## E-166 Vis-a-vis a Polarised Linear Collider Source

- ⇒ E-166 is the 'proof of principle' for undulator-based positron sources
- Photons are produced in the same energy range and polarisation characteristics as for a linear collider
  - The same target thickness and material are used as in the LC

Parameter	Units	TESLA	NLC	E-166
Beam Energy, $E_e$	GeV	150-250	150	50
$N_e$ /bunch	-	$3 \times 10^{10}$	$8 \times 10^9$	$1 \times 10^{10}$
$N_{bunch}$ /pulse	-	2820	190	1
Pulses/s	Hz	5	120	30
Undulator Type	-	planar/helical	helical	helical
Und. Parameter, $K$	-	1	1	0.17
Und. Period, $\lambda_u$	cm	1.4	1.0	0.24
Und. Length, $L$	m	135	132	1
$1^{st}$ Harmonic Cutoff, $E_{c10}$	MeV	9-25	11	9.6
$dN_\gamma/dL$	photons/m/ $e^-$	1	2.6	0.37
Target Material	-	Ti-alloy	Ti-alloy	Ti-alloy, W
Target Thickness	rad. len.	0.4	0.5	0.5

- But:  $e^+$  intensity/pulse lower by a factor 1/2000 compared to  $e^+$  source of a LC

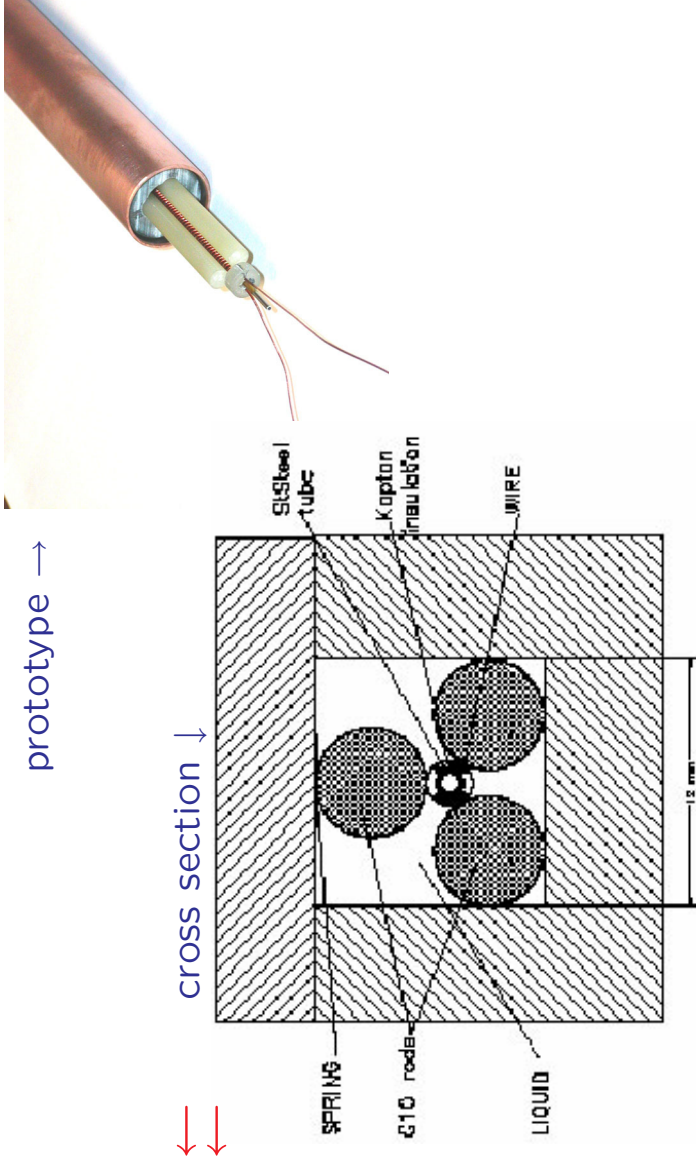


## E-166 Helical Undulator Design, $\lambda = 2.4\text{mm}$ , $K = 0.17$

- 'Pulsed Helical Undulator for Test@SLAC the polarised positron production scheme.

Basic description', A.A. Mikhailichenko

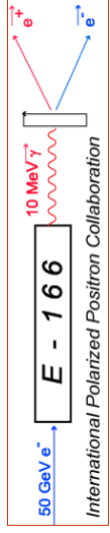
Parameter	Units	Value
Number of Undulators	-	1
Length	m	1.0
Inner Diameter	mm	0.89
Period	mm	2.4
Field	kG	7.6
Undulator Parameter, $K$	-	0.17
Current	Amps	2300
Peak Voltage	Volts	540
Pulse Width	$\mu\text{s}$	30
Inductance	H	$0.9 \times 10^{-6}$
Wire Type	-	Cu
Wire Diameter	mm	0.6
Resistance	ohms	0.110
Repetition Rate	Hz	30
Power Dissipation	W	260
$\Delta T$ /pulse	$^{\circ}\text{C}$	2.7



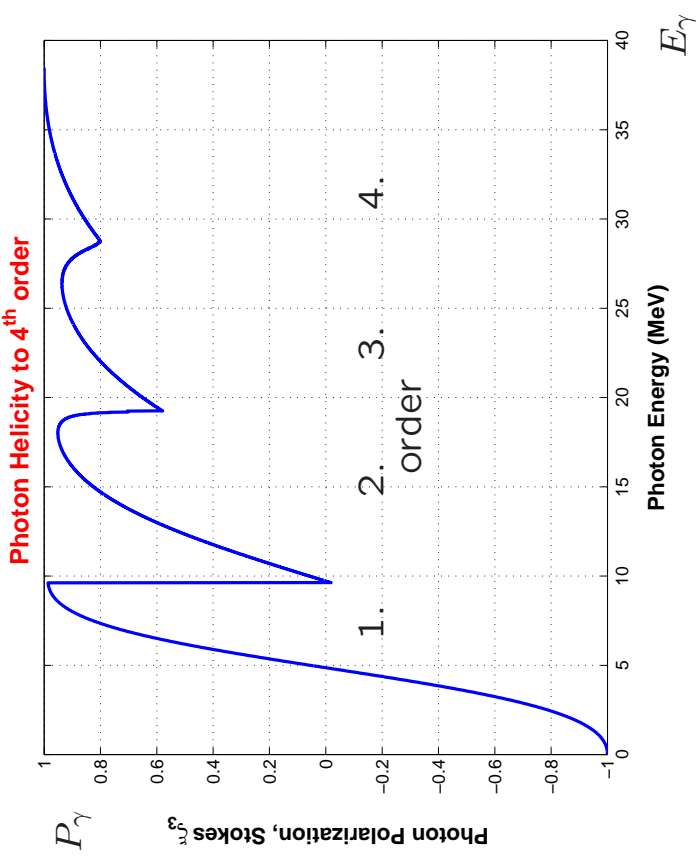
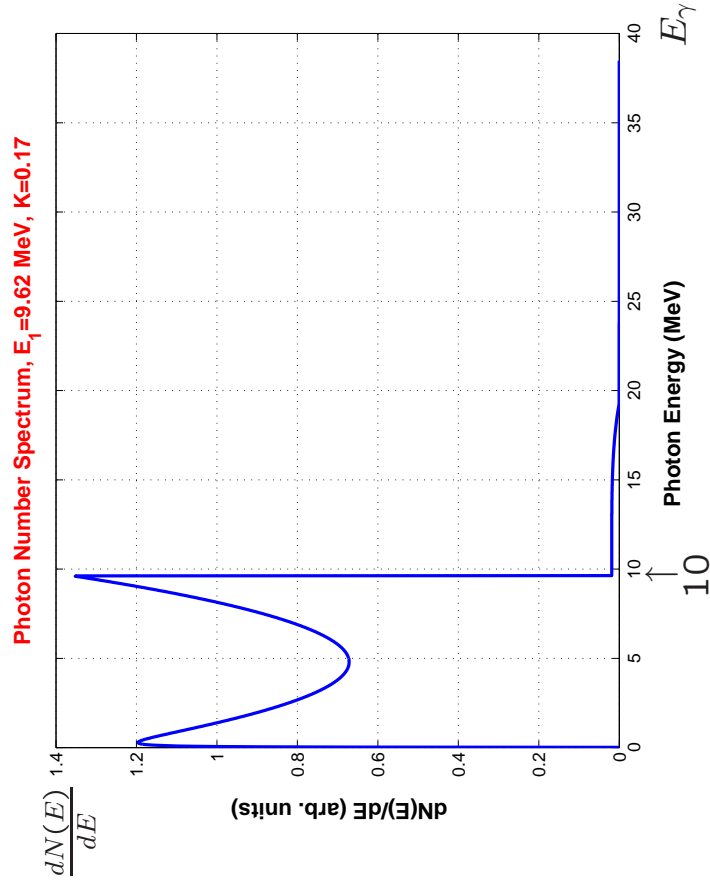
$$\Rightarrow \text{Undulator Radiation: } \frac{dN_{\gamma}}{dL} = \frac{30.6}{\lambda_u[\text{mm}]} \frac{K^2}{1+K^2} \text{ photons}/m/e^- = 0.37 \text{ photons}/e^-$$

$$\Rightarrow \text{Circ. pol. photons with } E_{c10} = 24[\text{MeV}] \frac{(E_e/50[\text{GeV}])^2}{\lambda_u[\text{mm}](1+K^2)} = 9.6 \text{ MeV}$$



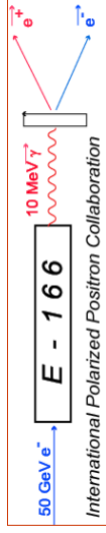


# Photon Spectrum and Polarisation of Undulator Radiation

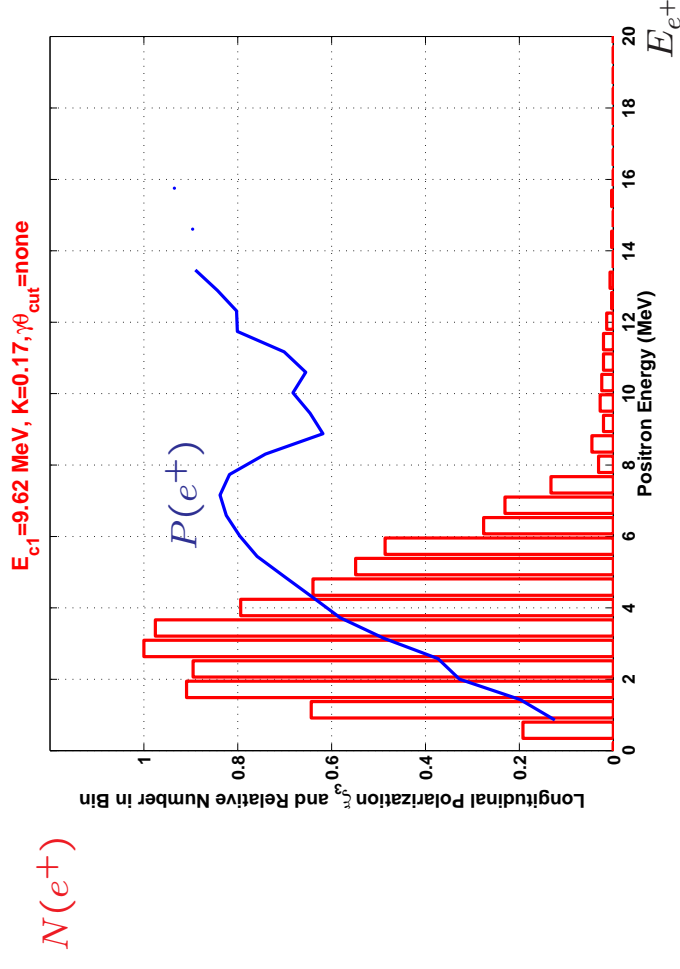
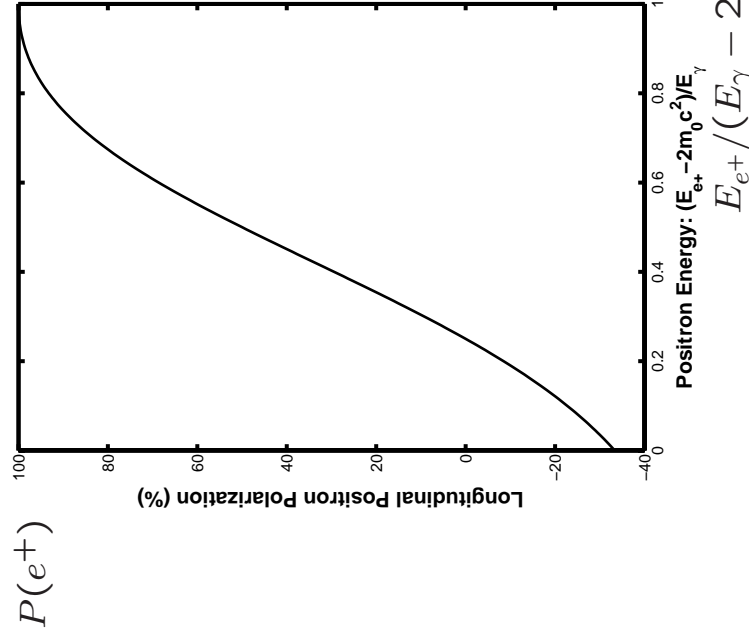


⇒ Photon intensity spectrum of undulator radiation with  $E_e = 50$  GeV,  
 $\lambda_u = 2.4$  mm,  $K = 0.17$

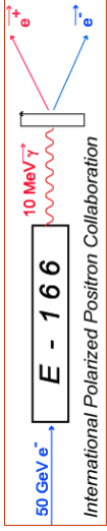
⇒ First harmonic peak:  $E_{c10} = 9.62$  MeV



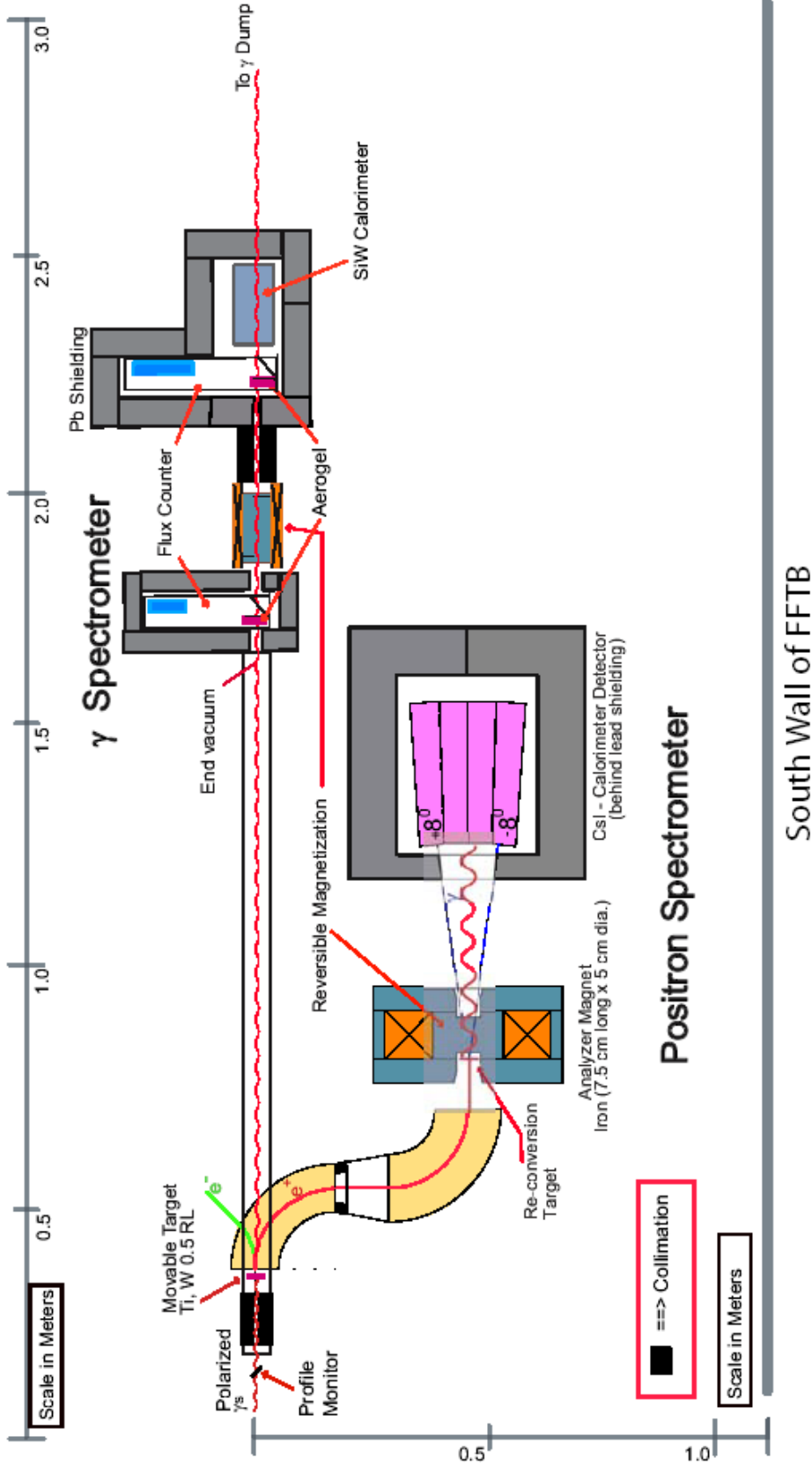
# Polarisation Transfer: circular pol. $\gamma \rightarrow$ long. pol. $e^+$



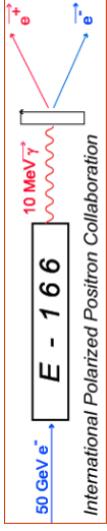
- Long. polarisation of  $P(e^+) = 54\%$  averaged over full spectrum



# Polarimetry@E-166: Overview

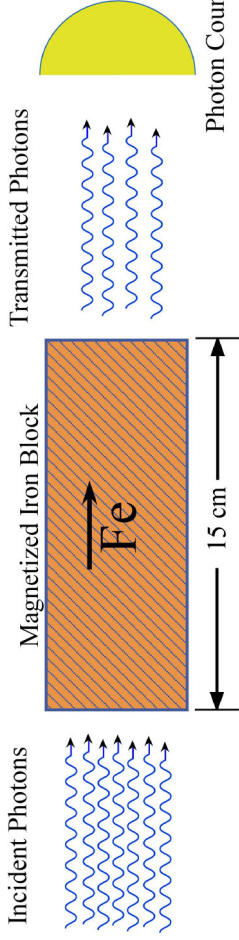


- ⇒ Polarisation of  $P(\gamma)$  and  $P(e^+)$  will be measured:  $P(e^+) \sim 60\%$  expected
- ⇒ Polarimetry precision of 5% will be sufficient



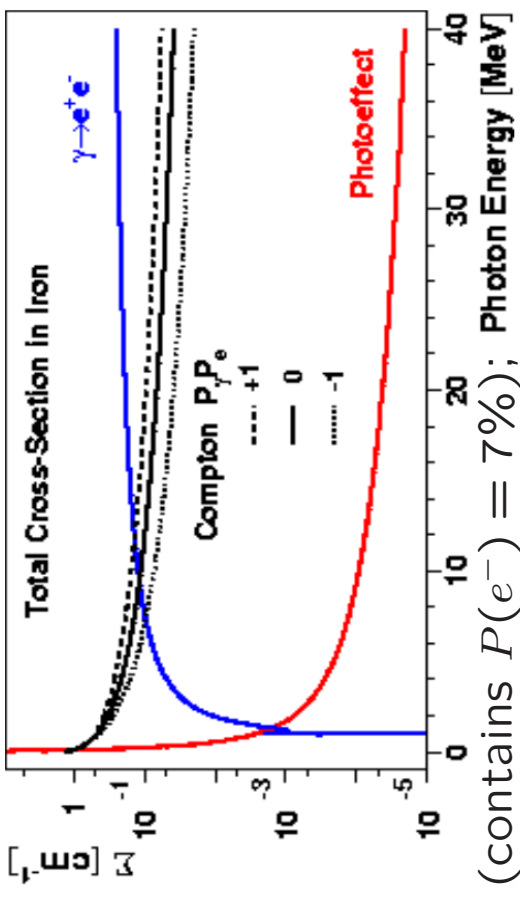
# Transmission Polarimetry of Photons and Positrons

M Goldhaber, 1957



## Transmission method for $\gamma$ Polarimetry:

- Pass pol.  $\gamma$  through magnetised iron cylinder (contains  $P(e^-) = 7\%$ ); Photon Energy [MeV] measure trans.  $\gamma$  signal as the direction of magnetisation is modulated by reversing an external magnetic field
- Three physical processes: photo effect, Compton scattering, pair production
- Only Compton scattering has useful spin dependence



## Transmission Method for $e^+$ Polarimetry: 2–step process

- reconversion of  $e^+ \rightarrow \gamma$
- apply  $\gamma$  transmission polarimetry:
  - infer  $e^+$  polarisation from measured  $\gamma$  polarisation

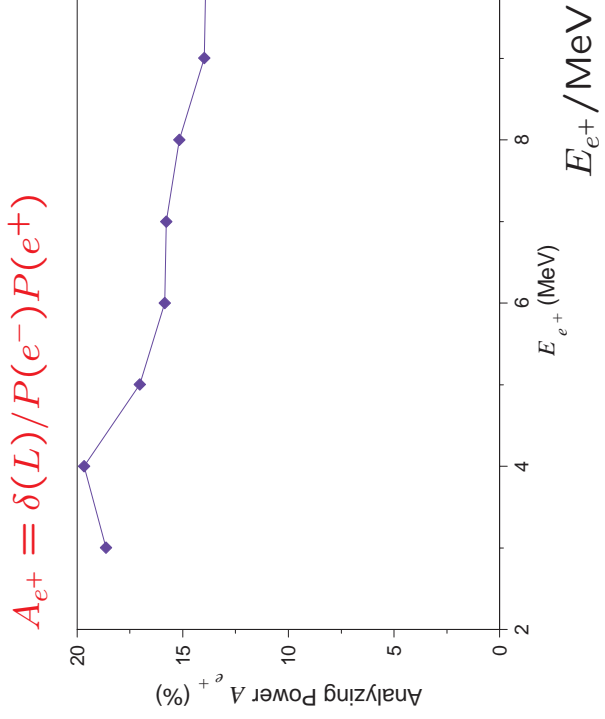


# Polarimetry Simulation Results and Expected Errors

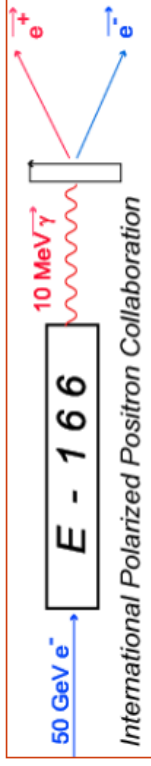
Geant simulation: 7.5 cm iron absorber, Cs I cal.,  $P(e^-) = 7\%$

Positron Energy (MeV)	Positron Pol. $P_{e^-}$ (%)	Positron Transport Eff. $c_{e^+}$ (%)	Photon Transport Eff. $c_\gamma$ (%)	Photon Asym. $\delta$ (%)	Analyzing Power $A_{e^-}$ (%)	$N_\gamma$ in 15 min	15 min Abs. Error $\Delta P_{e^-}$ (%)
3	42	1.5	0.045	0.55	18.6	$3.7 \times 10^6$	4.0
4	61	1.9	0.078	0.84	19.7	$8.0 \times 10^6$	2.6
5	69	2.1	0.12	0.82	17.0	$1.45 \times 10^7$	2.2
6	78	2.3	0.20	0.87	15.9	$2.44 \times 10^7$	1.8
7	84	1.7	0.28	0.93	15.8	$2.59 \times 10^7$	1.6
8	77	0.9	0.38	0.82	15.0	$1.86 \times 10^7$	2.2
9	64	0.4	0.50	0.63	14.0	$1.09 \times 10^7$	3.1
10	68	0.3	0.64	0.66	13.9	$1.04 \times 10^7$	3.2

$\delta \uparrow$   $A_e \uparrow$



- Transmission polarimetry is well-suited for E-166
  - Analysing power is sufficiently large and robust in simulations
- ⇒ Expected systematic errors of  $\Delta(P)/P \sim 5\%$  dominated by eff. magnetisation of iron



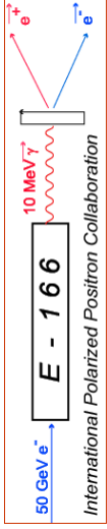
## Summary

- Physics case for the use of polarised  $e^+$  well motivated!
- E-166 is a 'proof of principle' demonstration of undulator based production of polarised  $e^+$  for a LC
- Polarisation characteristics of  $\gamma$  and  $e^+$  will be measured
- Precision of polarimetry of  $\sim 5\%$  with transmission method is sufficient



W. Pauli →

← P. Dirac

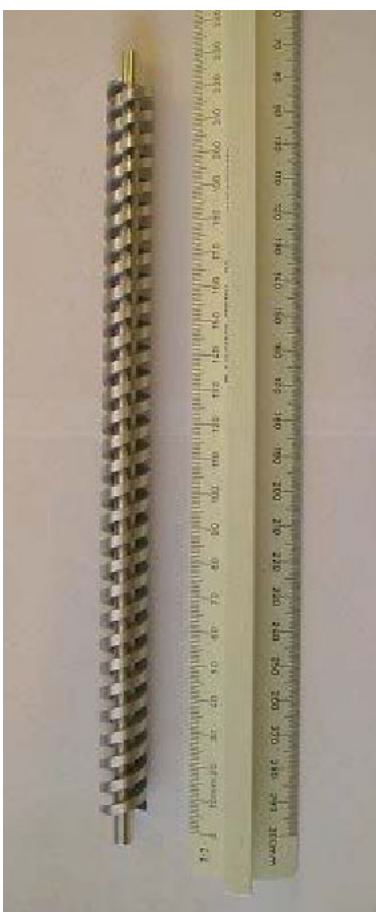


## Outlook

- **Schedule for E-166:** 6 weeks of work at FFTB@SLAC in 2004/2005
  - principle approval in June 2003
  - a few background questions still open, but do not worry,
  - some shielding needed, background studies will be finished in 2003

## Other LC Polarisation Activities

- **ASTeV@Daresbury:** construction of a prototype for a  $\sim 30$  cm s.c. helical undulator with 14 mm period, 4 mm aperture,  $K=1$ 
  - could be tested at TTF2 in 2004



- And last but not least: next **POWER** meeting in Oct'03@SLAC
    - Further news, please look at: <http://www.ippp.dur.ac.uk/~gudrid/power/>
- ⇒ A lot of interesting LC R&D in the polarisation business, don't miss it!